

Homework 2 (20 points each)

1. Prove the Leibniz criterion of convergence for alternating series

2. Improve the convergence of Riemann's zeta function $\zeta(3)$.

3. Explain Weierstrass M (Majorant) Test

4. In the example 1.1 \times .2 show that series can converge uniformly but not absolutely

6. Explain the Abel's test

6. Exercise 1.2.1

7. Exercise 1.2.3

8. Derive Taylor expansion