1) John performed a one-sample z-test for proportions and rejected the null hypothesis at a significance level of 0.05 . What type of error could John have made with his conclusion?
A) It is a correct decosion
B) It is a wrong decision
C) Type II
D) Type I
2) Suppose a consumer product researcher wanted to find out whether a Sharpie lasted longer than 12 hours. The researcher tested 25 Sharpies and recorded the number of hours each Sharpie wrote before drying up. At the $5 \%$ significance level, P -value $=0.06$. State your conclusion about the original claim.
A) Reject the alternative hypothesis; there is strong evidence to suggest that the Sharpies last longer than a mean of 12 hours.
B) Do not reject the null hypothesis; there is not strong enough evidence to suggest that the Sharpies last longer than a mean of 12 hours.
C) There needs to be more data to determine if the Sharpies last longer than a mean of 12 hours.
D) Reject the null hypothesis; there is strong evidence to suggest that the Sharpies last longer than a mean of 12 hours.
3) At one college, GPAs are normally distributed with a mean of 3 and a standard deviation of 0.5 . Find the first quartile, $Q_{1}$.
A) 3.335
B) 2.665
C) 3.375
D) 3.25
4) If the significance level for a hypothesis test is 0.01 and the $p$-value for the test ends up being 0.034, after forming the appropriate conclusion based on the p -value, which possible error could have be committed?
A) Since we rejected the null, we might have committed a type two error.
B) Since we rejected the null, we might have committed a type one error.
C) Since we did not reject the null, we might have committed a type two error.
D) Since we did not reject the null, we might have committed a type one error.
5) The weight of corn chips dispensed into a 14 -ounce bag by the dispensing machine has been identified as possessing a normal distribution with a mean of 14.5 ounces and a standard deviation of 0.1 ounce. Suppose 400 bags of chips are randomly selected. Find the probability that the mean weight of these 400 bags is less than 14.6 ounces.
A) .6915
B) .3085
C) . 1915
D) approximately 1
6) A company needs to estimate the average total compensation of CEOs in the service industry. Data were randomly collected from 35 CEOs and the $95 \%$ CI was calculated to be ( $\$ 2,256,000, \$ 5,580,000$ ). What assumptions are necessary for this CI to be valid?
A) The sample is randomly selected from a population of total compensations that is a t distribution.
B) None. The Central Limit Theorem applies.
C) The total compensation of CEOs in the service industry is approximately normally distributed.
D) The distribution of the means is approximately normal.
7) Which statement best describes the significance level of a hypothesis test?
A) The probability of rejecting the null hypothesis when the null hypothesis is not true.
B) The probability of rejecting the null hypothesis when the null hypothesis is true.
C) The probability of failing to reject the null hypothesis when the null hypothesis is not true.
D) None of these
8) Suppose that a manufacturer is testing one of its machines to make sure that the machine is producing more than $97 \%$ good parts $\left(\mathrm{H}_{0}: p=0.97\right.$ and $\left.\mathrm{H}_{\mathrm{A}}: p>0.97\right)$. The test results in a $P$-value of 0.002 . Unknown to the manufacturer, the machine is actually producing $95 \%$ good parts. What probably happens as a result of the testing?
A) They correctly reject $\mathrm{H}_{0}$.
B) They fail to reject $\mathrm{H}_{0}$, making a Type I error.
C) They fail to reject $\mathrm{H}_{0}$, making a Type II error.
D) They reject $\mathrm{H}_{0}$, making a Type I error.
9) What is the proper interpretation of $\sigma_{x}^{\wedge}$ the standard error of $X$ - bar ?
A) It indicates the location of the average sample mean on the number line.
B) It indicates the size of the sample mean.
C) It indicates the likelihood that your p-value causes us to commit the type I error.
D) It indicates how the sample mean varies from sample to sample.
10) How can you reduce the probability of both a type one error and a type two error simultaneously?
A) Increase the significance level and increase the sample size, $n$.
B) Reduce the significance level and reduce the variance.
C) Increase the sample size, n , while lowering the significance level.
D) Decrese the sample size and raise the significance level.
11) The Central Limit Theorem allows us to assume that $\qquad$ is approx. normally distributed when the $\qquad$ is sufficiently large.
A) $x$, standard deviation
B) $x$ - bar, standard deviation
C) $x$ - bar, sample size
D) $x$, sample size
12) An entomologist writes an article in a scientific journal which claims that fewer than 8 in ten thousand male fireflies are unable to produce light due to a genetic mutation. Assuming that a hypothesis test of the claim has been conducted and that the conclusion is fail to reject the null hypothesis, state the conclusion in nontechnical terms.
A) There is sufficient evidence to support the claim that the true proportion is less than 8 in ten thousand.
B) There is not sufficient evidence to support the claim that the true proportion is less than 8 in ten thousand.
C) There is sufficient evidence to support the claim that the true proportion is greater than 8 in ten thousand.
D) There is not sufficient evidence to support the claim that the true proportion is greater than 8 in ten thousand.
13) If a researcher decides to use a $5 \%$ significance level for a hypothesis test instead of a $1 \%$ level and he $/$ she keeps everything else the same, what effect will this have on the hypothesis test?
A) Both the type I and II error rates will increase.
B) The type I error will increase, but the type II error will decrease.
C) Both the type I and II error rates will decrease.
D) The type I error will decrease, but the type II error will increase.
14) Suppose we wish to test Ho: $\mu=21$ vs. Ha: $\mu<21$. Which of the following possible sample results gives the most evidence to support Ha?
A) $\bar{x}=20, \mathrm{~s}=3$
B) $\bar{x}=23, \mathrm{~s}=3$
C) $\bar{x}=17, \mathrm{~s}=7$
D) $\bar{x}=24, \mathrm{~s}=6$
E) $\bar{x}=22, \mathrm{~s}=4$
F) None of these
15) In the Test of Hypothesis the number of standard deviations an observation is from the mean called:
A) Test Statistic
B) Level of signficance
C) P-value
D) Critical value
16) A small private college is interested to determine if less than $20 \%$ of their current students live off campus and drive to class. The college decided to take a random sample of 30 of their current students to use in the analysis. Is the sample size of $n=30$ large enough to use this inferential procedure?
A) Yes, since $n \geq 30$
B) Yes, since the central limit theorem works whenever proportions are used
C) Yes, since $n p(1-p)$ is greater than or equal to 10
D) No
17) We have calculated a confidence interval based on a sample of size $n=100$. Now we want to get a better estimate with a margin of error that is only one- third as large. How large does our new sample need to be?
A) 200
B) 900
C) 25
D) 50
E) 400
18) In a poker game there is a $65 \%$ chance that you will earn a $\$ 50$ profit on a certain $\$ 10$ bet, and there is a $35 \%$ chance you will lose your $\$ 10$ bet. What is the expected value for this bet?
A) $\$ 29$
B) $\$ 0$
C) $\$ 36$
D) $\$ 32.50$
E) $-\$ 36$
F) None of these
19) Which of the following statements is true?
1. The confidence interval is a type of a point estimate.
2. A sample proportion is type of a point estimate.
3. The center of a confidence interval is a population parameter.
4. The smaller the margin of error, the narrow is the confidence interval.
A) 3 and 4 .
B) 2 and 4
C) 1 and 2
D) 1 and 3
20) A one- sample $z$ - test for a population mean is performed. Suppose that the $P$ - value for the test is 0.01 . For what significance levels can the null hypothesis be rejected?
A) For $\alpha=0.01$
B) For $\alpha=0.05,0.10$
C) For all values of $\alpha$ smaller than 0.01
D) For all values of $\alpha$ greater than or equal to 0.01
21) Sales of a new line of athletic footwear are crucial to the success of a company. The company wishes to estimate the average weekly sales of the new footwear to within $\$ 200$ with $95 \%$ reliability. The initial sales indicate that the standard deviation of the weekly sales figures is approximately $\$ 1,400$. How many weeks of data must be sampled for the company to get the information it desires?
A) 189 weeks
B) 97 weeks
C) 9.5
D) 37,648 weeks
E) 14 weeks
F) None of these
22) A marketing research company is estimating the average total compensation of CEOs in the service industry. Data were randomly collected from 18 CEOs and the $95 \%$ confidence interval for the mean was calculated to be ( $\$ 2,181,260, \$ 5,836,180$ ). Explain what the phrase " $95 \%$ confident" means.
A) $95 \%$ of the population values will fall within the interval.
B) In repeated sampling, $95 \%$ of the intervals constructed would contain $\mu$.
C) $95 \%$ of the sample means from similar samples fall within the interval.
D) $95 \%$ of the similarly constructed intervals would contain the value of the sample mean.
23) We have created a $99 \%$ confidence interval for $\mu$ with the result $(12,17)$. What conclusion will we make if we test $H_{0}: \mu=10$ vs. $H_{\mathrm{a}}: \mu \neq 10$ at $\alpha=.01$ ?
A) Fail to reject $H_{a}$.
B) Do not Reject $H_{0}$, and do not support $H_{\mathrm{a}}$.
C) Support the $H_{a}$.
D) Reject $H_{0}$, and support $H_{a}$.
24) If we test the claim that the average weight of a boiler hen is less than 25 pounds, what would the type I error be for this test?
A) Rejecting the idea that the average weight of these hens is greater than or equal to 25 pounds when it is true.
B) Rejecting the idea that the average weight of these hens is less than 25 pounds when it is not true.
C) Not supporting the idea that that the average weight of hens is less than 25 pounds when it actually is true that their average weight is less than 25 pounds.
D) Rejecting the idea that the average weight of these hens is less than or equal to 25 pounds when that idea is in fact true.
25) A student wondered if more than $10 \%$ of students enrolled in an introductory Chemistry class dropped before the midterm. Suppose, he performed a hypothesis test to test his claim. In the context of the problem, what would happen if the student made a Type I Error?
A) He claims that $10 \%$ of students in the introductory Chemistry class dropped before the midterm when, in fact, $10 \%$ really did drop the class.
B) He claims that more than $10 \%$ of students in the introductory Chemistry class dropped before the midterm when, in fact, $10 \%$ (or less) actually dropped.
C) He claims that more than $10 \%$ of students in the introductory Chemistry class dropped before the midterm when, in fact, more than $10 \%$ really did drop the class.
D) He claims that $10 \%$ of students in the introductory Chemistry class dropped before the midterm when, in fact, more than $10 \%$ actually dropped.
26) Eric randomly surveyed 100 adults from a certain city and asked which team in a contest they were rooting for, either North High School or South High School. Of the surveyed adults, 70 said they were rooting for North High. Eric wants to determine if this is evidence that more than half the adults in this city will root for North ] School. Can Eric use the proportions hypothesis test in this problem?
A) because the "randomization" condition is not satisfied.
B) Yes, since $\mathrm{N}>30$
C) Yes, since all conditions are satisfied
D) No, since npq $<10$ or npq $<10$
27) A psychologist claims that more than 33 percent of the population suffers from professional problems due to extreme shyness. Assuming that a hypothesis test of has been conducted and that the conclusion is failure to reject the null hypothesis, state the conclusion in nontechnical terms.
A) There is sufficient evidence to support the claim that the true proportion is greater than 33 percent.
B) There is not sufficient evidence to support the claim that the true proportion is less than 33 percent.
C) There is not sufficient evidence to support the claim that the true proportion is greater than 33 percent.
D) There is sufficient evidence to support the claim that the true proportion is less than 33 percent.
28) A random sample of 4000 U.S. citizens yielded 2250 who are in favor of gun control legislation. A $90 \%$ confidence interval was constructed for the true proportion of people who are in favor of gun control. The resulting interval was as follows: [0.543, 0.583]. If the NRA claims that $55 \%$ of the public supports gun control legislation, does this interval contradict their claim?
A) Yes, because $33 \%$ is outside the interval.
B) No, because $55 \%$ is inside the interval
C) Yes, because $67 \%$ is outside the interval.
D) No, because $56.3 \%$ is the sample proportion.
29) What is the probability that we commit a type one error during the test of the claim that human hip widths have a mean smaller than 17.5 inches conducted at the $5 \%$ significance level?
A) at most 0.05
B) at least 0.05
C) less than 0.05
D) Exactly $2.5 \%$
E) exactly 0.05
F) None of these
30) The manager expects about $80 \%$ of his apples to exceed the weight requirement for "Grade A" designation. How many apples must he sample to be $95 \%$ confident of estimating the true proportion within $\pm 3 \%$
A) 89
B) 505
C) 683
D) 23
E) 19
31) A $95 \%$ confidence interval for the average salary of all CEOs in the electronics industry was constructed using the results of a random survey of 45 CEOs . The interval was ( $\$ 138,605, \$ 154,610$ ). To make more useful inferences from the data, it is desired to reduce the width of the confidence interval. Which of the following will result in the most reduced interval width?
A) Increase the sample size and decrease the confidence level.
B) Decrease the sample size and decrease the confidence level.
C) Increase the sample size and increase the confidence level.
D) Decrease the sample size and increase the confidence level.
32) For a two-tailed test of hypothesis about the mean at the $3 \%$ significance level, what is the probability of committing the type one error?
A) at least 0.03
B) exactly 0.97
C) at most 0.03
D) exactly 0.03
E) at most 0.97
F) None of these

Answer Key
Testname: REVIEW FINALEXAM_2122_2022

1) $D$
2) $B$
3) $B$
4) $C$
5) $D$
6) $B$
7) $B$
8) $D$
9) D
10) C
11) $C$
12) $B$
13) B
14) C
15) A
16) D
17) B
18) $A$
19) $B$
20) $D$
21) A
22) B
23) D
24) A
25) B
26) C
27) C
28) B
29) A
30) C
31) A
32) D
