MAC 1140, Fall 2017.

Exam #2

October 16, 2017

Name Key

- You will be told when to begin the work and when to terminate work on the examination. You must stop when instructed. Points may be deducted in case of violations.
- Please show your work to support your answers that require calculations. Correct but unsupported answers may not be given full credit.
- The use of a cell phone or other electronic communication devices during the examination is not allowed. The exam will be canceled and a grade of "0" will be assigned to anyone who uses a cell phone during the examination or if one is found within hands reach.
- Calculators are not allowed on this exam.
- The exam consist of two parts. Part I contains four multiple choice questions worth 6 points each. Part II contains four open ended questions worth 21.5 points each if not stated otherwise.

Part I

Choose your answer from five available choices. No partial credit will be given for wrong answers.

- 1. List potential rational zeros of the polynomial function $f(x) = 3x^4 x^2 + 4x 4$
 - (a) $\pm 1, \pm 3, \pm \frac{1}{2}, \pm \frac{1}{4}, \pm \frac{3}{2}, \pm \frac{3}{4}$
 - (b) $1, 3, \frac{1}{2}, \frac{1}{4}, \frac{3}{2}, \frac{3}{4}$
 - (c) $\pm 1, \pm 2, \pm 4, \pm \frac{1}{3}, \pm \frac{2}{3}, \pm \frac{4}{3}$
 - (d) $1, 2, 4, \frac{1}{3}, \frac{2}{3}, \frac{4}{3}$
 - (e) None of the above

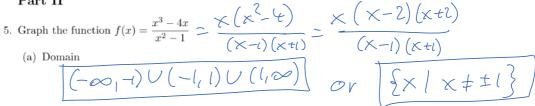
$$-\frac{1}{5} + \frac{1}{5} + \frac{1$$

- ±1, ±2, ±4, ±3, ±3, ±43
- 2. Which is the following functions are polynomial functions
 - $f(x) = \frac{2}{3}x^4 1$
 - $g(x) = \frac{2-x}{x-1} \times$
 - $h(x) = \frac{2x^5}{5} 3x^2 + 2x 6 = \frac{2}{5} \times 5 3 \times 2 + 2 \times -6$
 - $k(x) = 3x 2x^{1/2} \times$
 - (a) f and h
 - (b) f, h, and k
 - (c) f, g, and k
 - (d) f
 - (e) None of the above
- 3. Find vertical asymptotes of the rational function

$$f(x) = \frac{x^2 + x - 6}{(x - 1)(x + 3)} = \frac{(\cancel{\times} \cancel{+} \cancel{-})}{(\cancel{\times} - \cancel{-})} = \frac{\cancel{\times} - \cancel{-}}{\cancel{\times} - \cancel{-}}$$

- (a) y = 1
- (b) x = 1
- (c) y = 1 and y = -3
- (d) x = 1 and x = -3
- (e) None of the above
- 4. -3 and -1-2i are zeros of a polynomial function. Which of the following is also a zero:
 - (a) 3
 - (b) 1 + 2i
 - (c) -1-2
 - (d) -1 + 2
 - (e) None of the above.

Part II



- (b) y-intercept $f(0) = \frac{0}{-1} = 0$ f(0,0)
- (c) x-intercept

$$\times (\kappa - 2) (\kappa + 2) = 0$$

 $\times = 0, \pm 2$ $(0,0), (2,0), (-2,0)$

(d) Vertical asymptote

$$X=\pm 1$$
 $X=-1$

(f) Intersection with asymptote

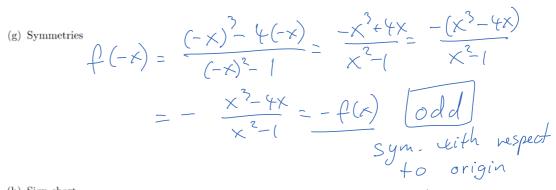
$$\frac{x^{3}-4x}{x^{2}-1} = x$$

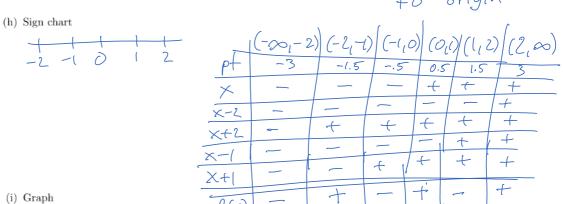
$$x^{3}-4x = x(x^{2}-1)$$

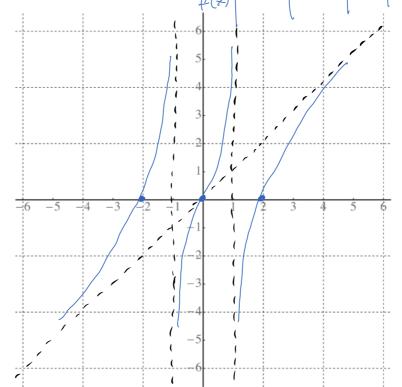
$$x^{3}-4x = x^{3}-x$$

$$-3x = 0$$

$$x = 0$$







6. Solve

$$x^{3} = 9x - 10$$

$$x^{3} - 9x + 10 = 0$$

$$x^{3} = 9x - 10$$

let's find a zero using Rational Zero Thm:

10: ±1,±2,±5,±10 } ±1,±2,±5,±10

 $\begin{array}{c} (x=2) \\ x^{2}+2x-b=0 \\ x=\frac{-2\pm\sqrt{4-4\cdot(-5)}}{2} = \frac{-2\pm\sqrt{4+20}}{2} \\ x=\frac{-2\pm\sqrt{4}\cdot\sqrt{6}}{2} = \frac{-2\pm2\sqrt{6}}{2} = -1\pm\sqrt{6} \\ x=\left\{2,-1\pm\sqrt{6}\right\} \end{array}$

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	7.	Find	the domain	of	f(x) =	= 1	2 –	$\frac{4}{x-3}$

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$$\frac{2x-6}{x-3} - \frac{4}{x-3} = 20$$

$$\frac{2\times-10}{\times-3} \ge 0$$

$$\frac{2(x-5)}{x-3} \ge 0$$

$$2(x-5)=0$$
 $x-3=0$ $x=3$

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	1	0	- 9	ID	
2		2	4	-10	
		2	-5	0	

 $\frac{(-\infty, 3)}{p+0}$ $\frac{(3,5)}{(5,\infty)}$ $\frac{(5,\infty)}{(5,\infty)}$ $\frac{(5,\infty)}{($

 $Solution: (-\infty,3) \cup [5,\infty)$

8. Solve

$$2x^2 + 3 \ge 5x$$

$$2 \times^{2} - 5 \times + 3 \stackrel{?}{=} 0$$

$$\times = \frac{5 \pm \sqrt{25 - 4 \cdot 3 \cdot 2}}{2 \cdot 2} = \frac{5 \pm \sqrt{25 - 24}}{4}$$

$$= \frac{5 \pm \sqrt{1}}{2 \cdot 2} = \frac{5 \pm \sqrt{25 - 24}}{4} = \frac{6}{4} = \frac{2}{2} = 1.5$$

$$= \frac{5 \pm \sqrt{1}}{4} = \frac{4}{4} = \frac{1}{4} = \frac{1}{4}$$

 $2 \times^{2} - 5 \times + 3 = 2(\times - 1.5)(\times - 1)$

	$(-\infty_{l})$	[1,1.5]	[1.5,00)
p+	0	1.2	2
(x-(.5)			+
$(\chi - 1)$		+	+
(x-1)	1		
	17		11+1

Solution: (-\infty 1]U[1.5, \infty)