

# Neutron DVCS

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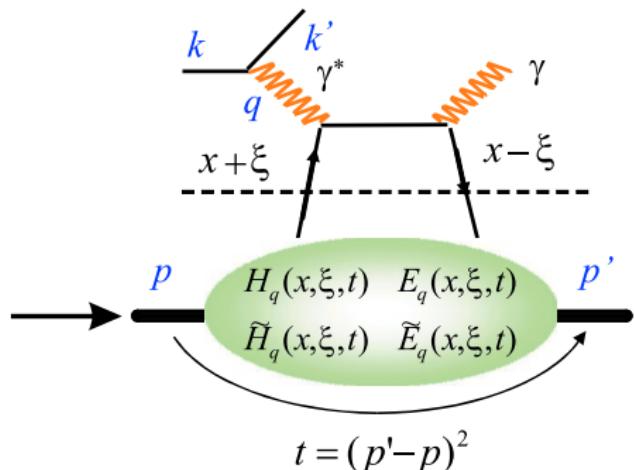
Next generation of nuclear physics with JLab12 and EIC  
Florida International University

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# Outline

- Motivation of DVCS off the neutron  
*and experimental challenges*
- Experimental program at Jefferson Lab
- Recent (preliminary) results from Hall A
- Outlook at JLab12

## Deeply Virtual Compton Scattering (DVCS): $\gamma^* p \rightarrow \gamma p$



High  $Q^2$   
Perturbative QCD

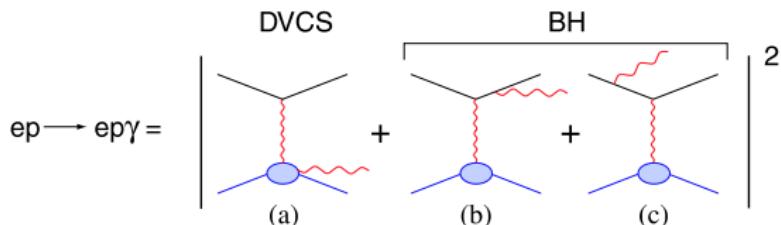
# Non-perturbative GPDs

## Handbag diagram

## Bjorken limit:

$$Q^2 = \begin{array}{c} -q^2 \\ \nu \end{array} \rightarrow \begin{array}{c} \infty \\ \infty \end{array} \left. \right\} x_B = \frac{Q^2}{2M\nu} \text{ fixed}$$

# DVCS experimentally: interference with Bethe-Heitler (BH)



At leading twist:

$$d^5 \vec{\sigma} - d^5 \overleftarrow{\sigma} = \Im m (T^{BH} \cdot T^{DVCS})$$

$$d^5 \vec{\sigma} + d^5 \overleftarrow{\sigma} = |BH|^2 + \Re e (T^{BH} \cdot T^{DVCS}) + |DVCS|^2$$

$$\mathcal{T}^{DVCS} = \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi + i\epsilon} + \dots =$$

$$\underbrace{\mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi}}_{\text{Access in helicity-independent cross section}} - \underbrace{i\pi H(x = \xi, \xi, t)}_{\text{Access in helicity-dependent cross-section}} + \dots$$

Access in helicity-independent cross section

Access in helicity-dependent cross-section

# Accessing different GDPs

Polarized beam, unpolarized target (BSA)

$$d\sigma_{LU} = \sin \phi \cdot \mathcal{Im}\{F_1 \mathcal{H} + x_B(F_1 + F_2)\tilde{\mathcal{H}} - kF_2 \mathcal{E}\} d\phi$$

Unpolarized beam, longitudinal target (ITSA)

$$d\sigma_{UL} = \sin \phi \cdot \mathcal{Im}\{F_1 \tilde{\mathcal{H}} + x_B(F_1 + F_2)(\tilde{\mathcal{H}} + x_B/2\mathcal{E}) - x_B k F_2 \tilde{\mathcal{E}} \dots\} d\phi$$

Polarized beam, longitudinal target (BITSA)

$$d\sigma_{LL} = (A + B \cos \phi) \cdot \mathcal{Re}\{F_1 \tilde{\mathcal{H}} + x_B(F_1 + F_2)(\tilde{\mathcal{H}} + x_B/2\mathcal{E}) \dots\} d\phi$$

Unpolarized beam, transverse target (tTSA)

$$d\sigma_{UT} = \cos \phi \cdot \mathcal{Im}\{k(F_2 \mathcal{H} - F_1 \mathcal{E}) + \dots\} d\phi$$

# Neutron DVCS

- ① Flavor sensitivity of GPDs (when combined with proton DVCS)

$$\mathcal{Im}\mathcal{H} = -\pi \left( \frac{4}{9} H^u + \frac{1}{9} H^d \right) \quad (\text{Proton})$$

$$\mathcal{Im}\mathcal{H} = -\pi \left( \frac{1}{9} H^u + \frac{4}{9} H^d \right) \quad (\text{Neutron})$$

- ② Enhanced sensitivity to GPD  $E$  (eg. with long.  $\vec{e}$  off unpol. target)

- LD<sub>2</sub> target ( $F_2^n(t) \gg F_1^n(t)$  !)

$$A = F_1(t)\mathcal{H} + \frac{x_B}{2-x_B}[F_1(t) + F_2(t)]\tilde{\mathcal{H}} - \underbrace{\frac{t}{4M^2} \cdot F_2(t) \cdot \mathcal{E}}_{\text{Main contribution for neutron}}$$

$\tilde{\mathcal{H}}$  is expected small by compensation of  $u$  and  $d$  distributions in  $n$

- Contribution of the **angular momentum of quarks** to proton spin:

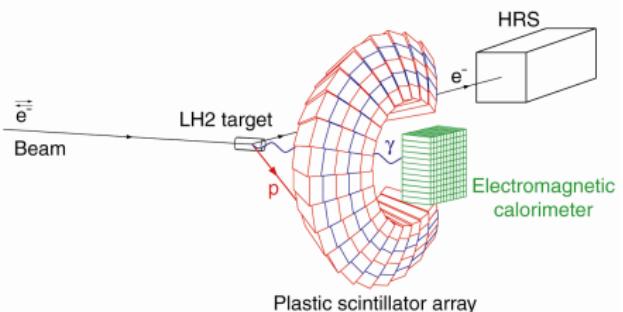
$$J = \frac{1}{2} \int_{-1}^1 dx x [H(x, \xi, 0) + E(x, \xi, 0)]$$

# The n-DVCS program at Jefferson Lab

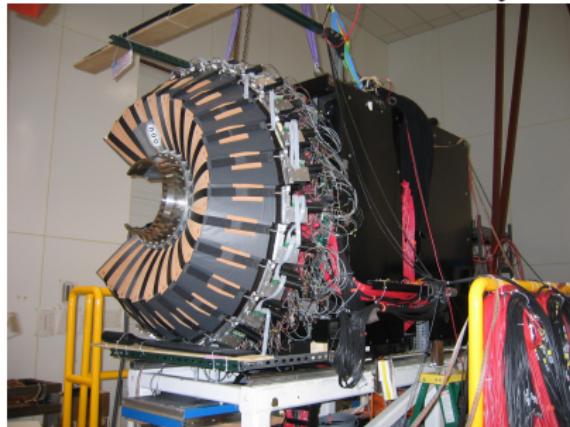
- Hall A:
  - E03-106: Beam helicity-dependent DVCS cross section
  - E08-025: Beam helicity-independent DVCS at 2 beam energies
- Hall B:
  - E12-11-003: Beam spin asymmetries with CLAS12

# Hall A DVCS experimental setup

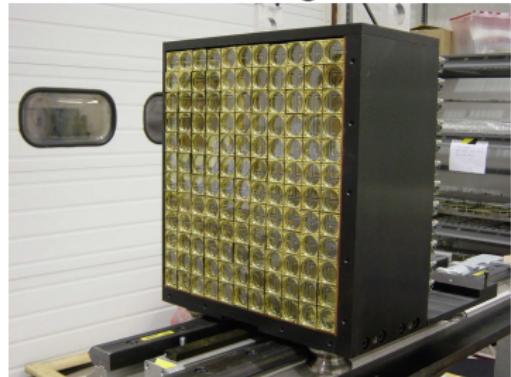
High Resolution Spectrometer



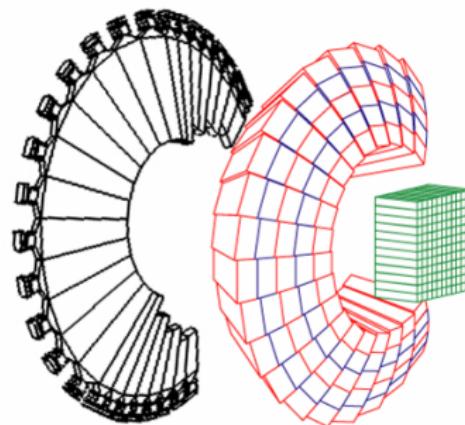
100-channel scintillator array



132-block PbF<sub>2</sub> electromagnetic calorimeter



# Neutron detection (proton veto)

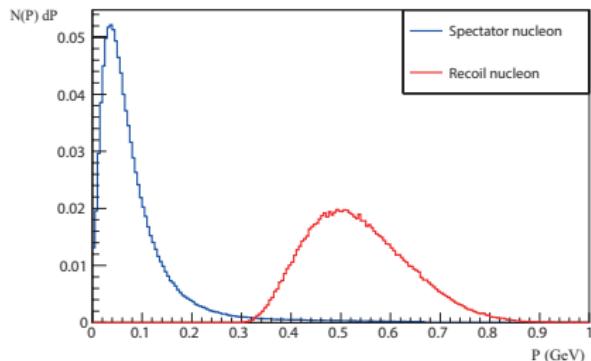


Charged particle veto in front of scintillator array:

- Proton: signal in both detectors
- Neutron: signal only in thick scintillator

# Impulse approximation

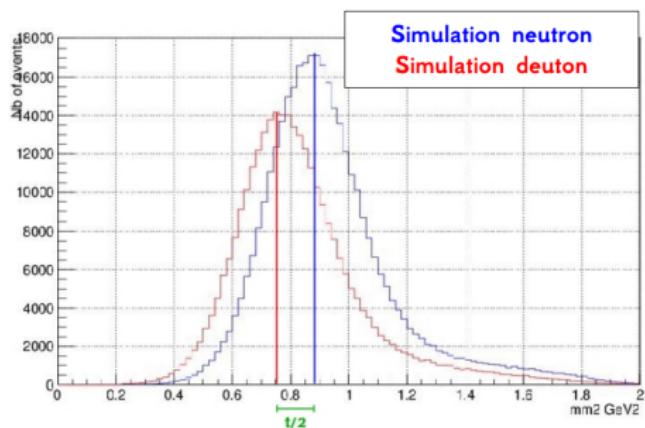
$$D(\vec{e}, e'\gamma)X = d(\vec{e}, e'\gamma)d + n(\vec{e}, e'\gamma)n + p(\vec{e}, e'\gamma)p + \dots$$



FSI between the  $np$  pair should be small

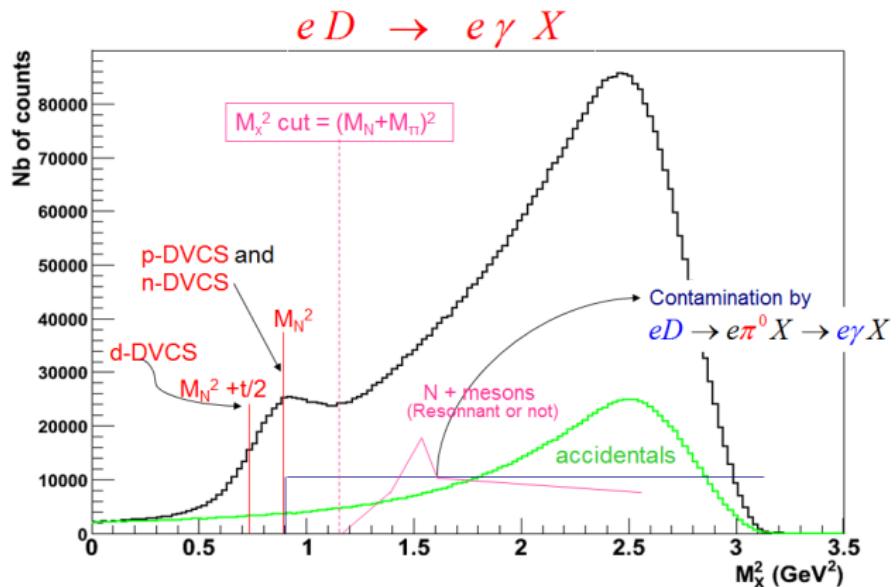
# Neutron and coherent deuteron

$$M_X^2 = (n + q - q')^2 = M_n^2 + \left(1 - \frac{M_n}{M_d}\right) t \simeq M_n^2 + \frac{t}{2}$$



Coherent  $d$  separated using kinematical separation in the  $M_X^2$  spectrum

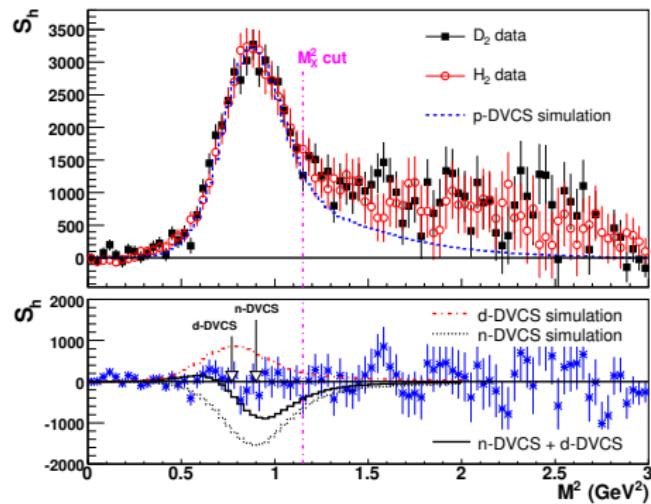
# Missing mass & exclusivity



Exclusivity ensured by a cut at the  $\pi$ -production threshold

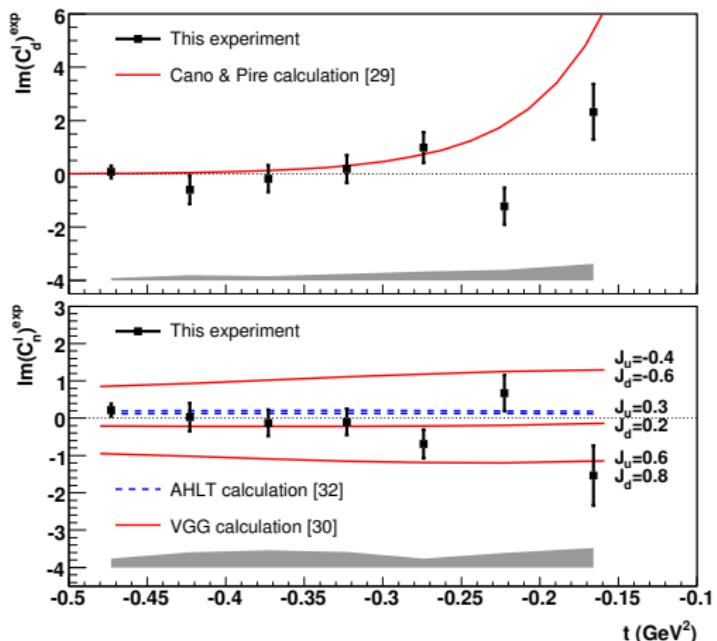
# Helicity signal

$$S_h = \int_0^\pi (N^+ - N^-) d\phi - \int_\pi^{2\pi} (N^+ - N^-) d\phi,$$

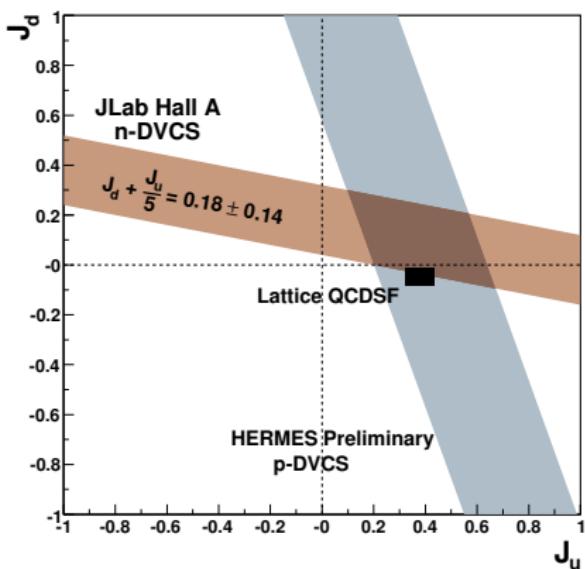


No significant signal after LD<sub>2</sub>–LH<sub>2</sub> subtraction

# E03-106 results



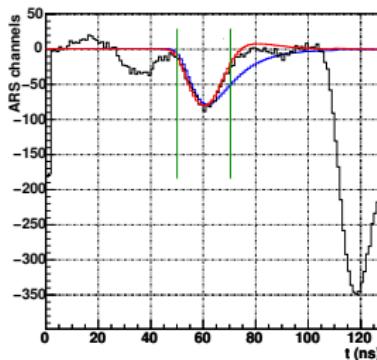
Model-dependent sensitivity to  $J_u, J_d$



Helicity-dependent nDVCS cross-section compatible with zero, BUT still sets constraints to GPD combinations (and  $J_u, J_d$  models...)

# E03-106: lessons learnt

- LD<sub>2</sub>–LH<sub>2</sub> subtraction very sensitive to calorimeter calibration (drifts)  
**LD<sub>2</sub> and LH<sub>2</sub> running should be interleaved**
- Significant contamination from  $\pi^0$ 's that was hard to subtract  
high  $\gamma$  threshold → **reduced with improved trigger+electronics**
- Recoil particle detection/tagging extremely difficult at high luminosity

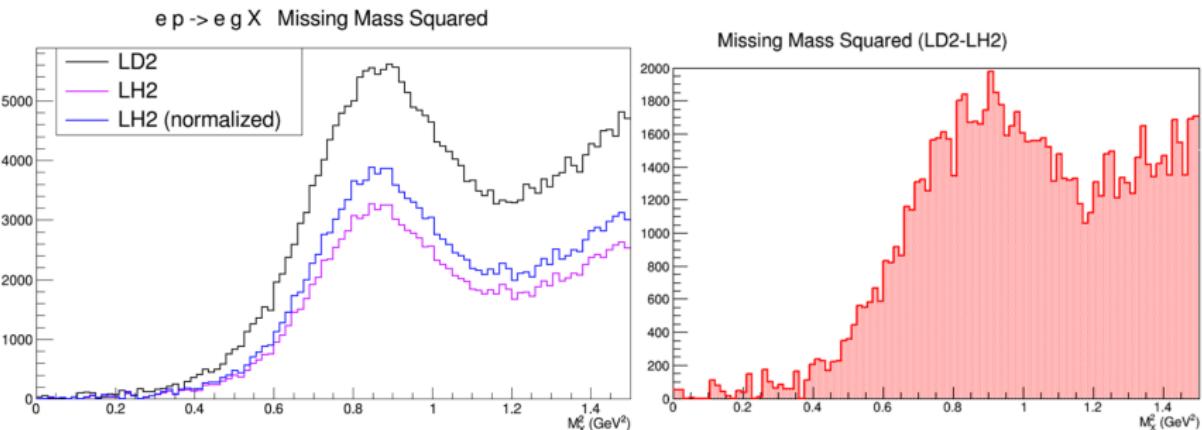


- Large background + low recoil momentum
- Charge exchange reaction difficult to measure/estimate

No recoil detector anymore → **less deadtime and higher statistics**

# E08-25 nDVCS experiment

- Ran in 2010
- No recoil detection  $\rightarrow$  higher luminosity
- Improved trigger and DAQ  $\rightarrow$  reduced deadtime
- Interleaved LD<sub>2</sub> and LH<sub>2</sub> running



$$Q^2 = 1.75 \text{ GeV}^2, x_B = 0.36 \text{ at } E_b = 4.45 \text{ and } E_b = 5.55 \text{ GeV}$$

C. Desnault's PhD thesis

# Analysis method

$$\sigma = |BH|^2 + \Gamma_0(x_B, Q^2, t, \varphi) \textcolor{red}{C}_0(\xi, t) + \Gamma_1(x_B, Q^2, t, \varphi) \textcolor{blue}{C}_1(\xi, t) \cos \varphi + \Gamma_2(x_B, Q^2, t, \varphi) \textcolor{blue}{C}_2(\xi, t) \cos 2\varphi$$

$$\xi \simeq \frac{x_B}{2 - x_B}$$

$C_i(\xi, t)$ : combinations of GPDs

$$N^{\text{Exp}}(\mathbf{i}_e) = N_{\mathbf{i}_e} - N_{\mathbf{i}_e}^{BH}$$

$$N^{\text{MC}}(\mathbf{i}_e) = \mathcal{L} \left[ \sum_i \underbrace{\textcolor{blue}{C}_i \int_{x \in \mathbf{i}_e} \Gamma_i \cdot \cos(i\varphi) \otimes \text{Acc.}}_{\text{MC sampling}} \right]$$

- MC includes real radiative corrections (both external and internal).

$$\chi^2 = \sum_{\mathbf{i}_e} \frac{[N^{\text{Exp}}(\mathbf{i}_e) - N^{\text{MC}}(\mathbf{i}_e)]^2}{[\sigma^{\text{Exp}}(\mathbf{i}_e)]^2} \Rightarrow \left\{ \begin{array}{l} \textcolor{blue}{C}_0 \\ \textcolor{blue}{C}_1, \dots \end{array} \right.$$

# Rosenbluth-like separation of the DVCS cross section

$$\sigma(ep \rightarrow ep\gamma) = \underbrace{|BH|^2}_{\text{Known to } \sim 1\%} + \underbrace{\mathcal{I}(BH \cdot DVCS)}_{\text{Linear combination of GPDs}} + \underbrace{|DVCS|^2}_{\text{Bilinear combination of GPDs}}$$

$$\mathcal{I} \propto 1/y^3 = (k/\nu)^3,$$

$$|\mathcal{T}^{DVCS}|^2 \propto 1/y^2 = (k/\nu)^2$$

BKM-2010 – at leading twist  $\rightarrow$  7 independent GPD terms:

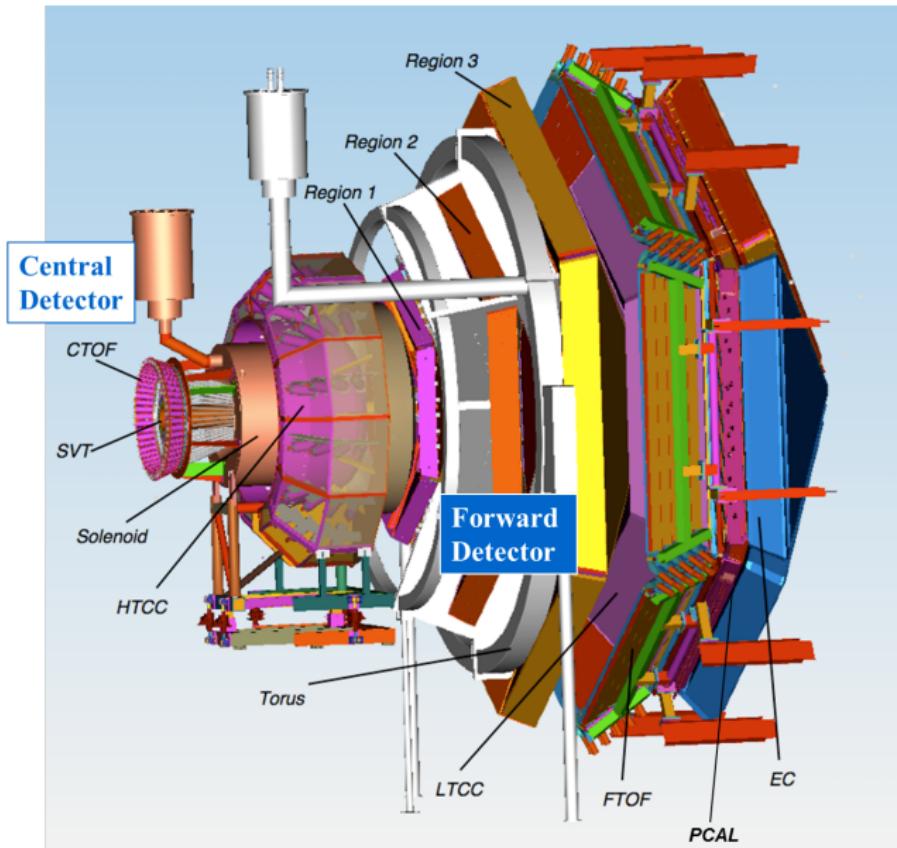
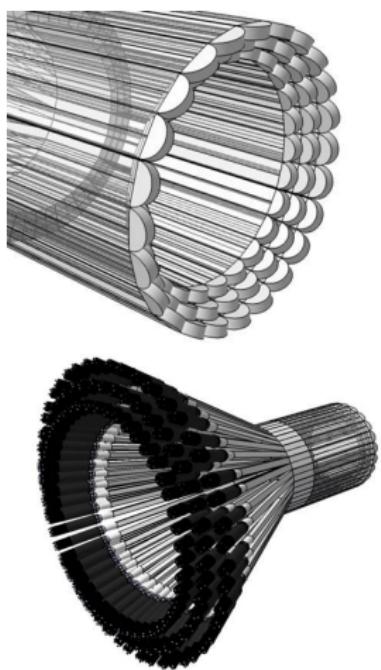
$$\{\Re, \Im [C^I, C^{I,V}, C^{I,A}] (\mathcal{F})\}, \quad \text{and} \quad C^{DVCS}(\mathcal{F}, \mathcal{F}^*).$$

$\varphi$ -dependence provides 5 independent observables:

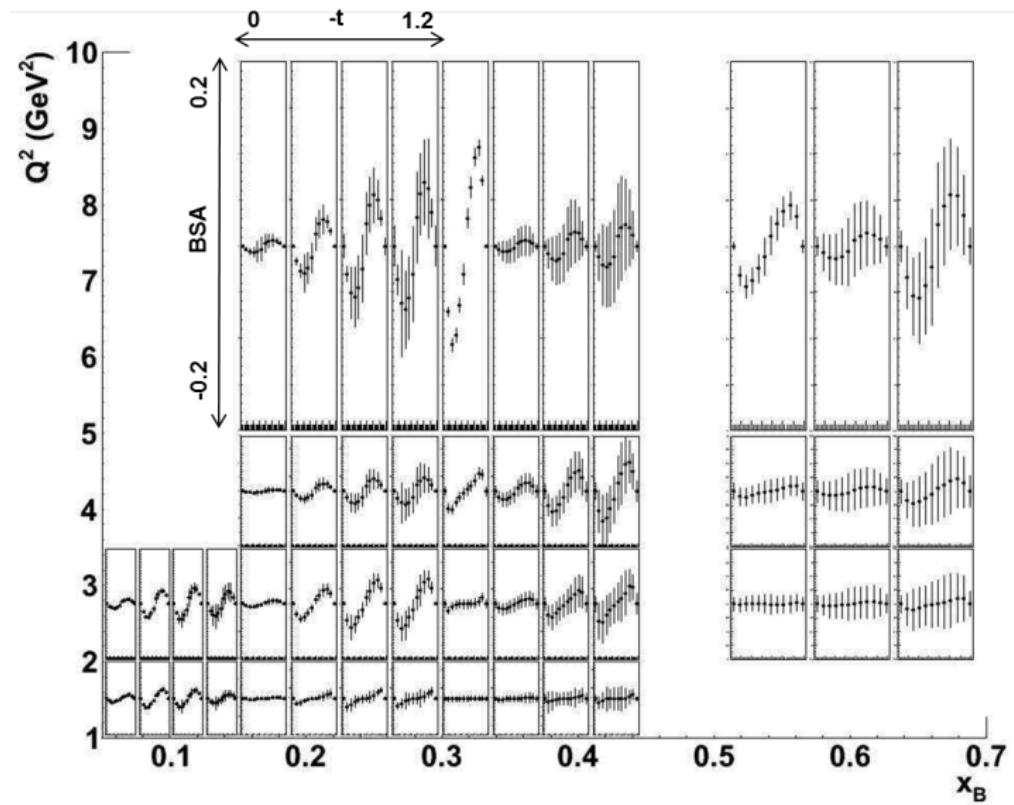
$$\sim 1, \sim \cos \varphi, \sim \sin \varphi, \sim \cos(2\varphi), \sim \sin(2\varphi)$$

The measurement of the cross section at **two or more beam energies** for exactly the **same  $Q^2$ ,  $x_B$ ,  $t$  kinematics**, provides the additional information in order to extract all leading twist observables independently.

# E12-11-003: DVCS sur le neutron avec CLAS12

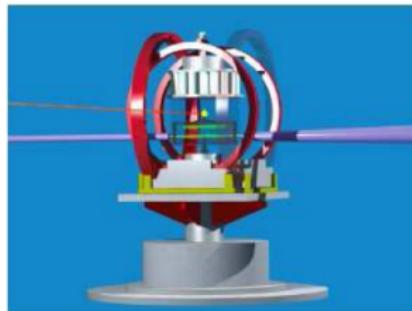
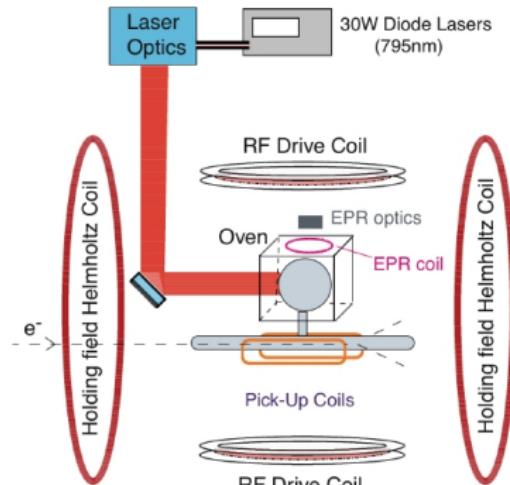


# E12-11-003: projections



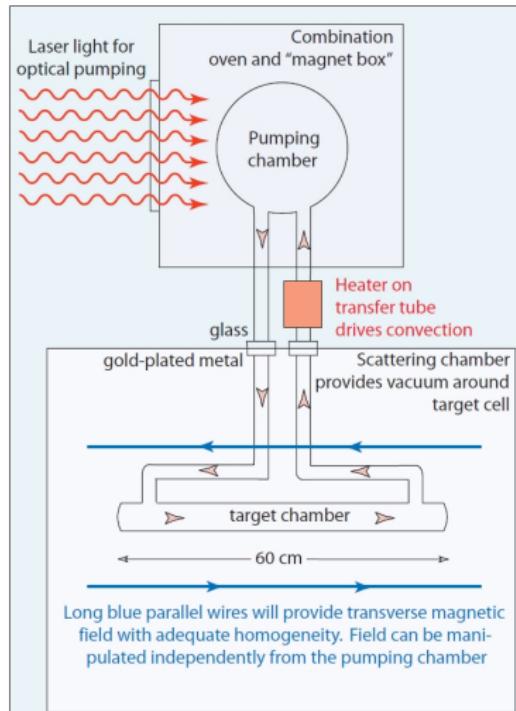
# Polarized $^3He$ target

- $n$  lum. of  $10^{36}/\text{cm}^2/\text{s}$  ( $14 \text{ atm} \times 40 \text{ cm}$ )
- “Background” luminosity:
  - $p$  in  $^3He$  + entrance/exit windows
  - $10^{37}/\text{cm}^2$  total luminosity
- Polarization: 50%
  - Nuclear physics dilution factor 0.86 (d-state)
  - -2.8%  $p$  polarization
  - Long. & Trans.



# $^3\text{He}$ target upgrade

- Separate polarization and tgt volumes
  - Increase throughput by factor 10–100
  - Cool and/or compress  $^3\text{He}$  in target area by a factor of 10 (10K at 10 atm  $\times$  20 cm)
  - Rapid cycling of  $^3\text{He}$  through target
    - Reduce depolarization effect of tgt density, beam current, tgt walls
    - Replace thick glass with thin metallic walls
- Neutron luminosity of  $10^{37}/\text{cm}^2/\text{s}$ 
  - Proton luminosity  $2 \cdot 10^{37}/\text{cm}^2/\text{s}$
  - Endcaps  $\leq 10^{37}/\text{cm}^2/\text{s}$
- Target polarization:  $0.5 \cdot (0.86n - 0.028p)$



# DVCS on polarized neutron

$$\vec{n}(\vec{e}, e'\gamma) \quad \text{via} \quad {}^3\vec{H}e(\vec{e}, e)X$$

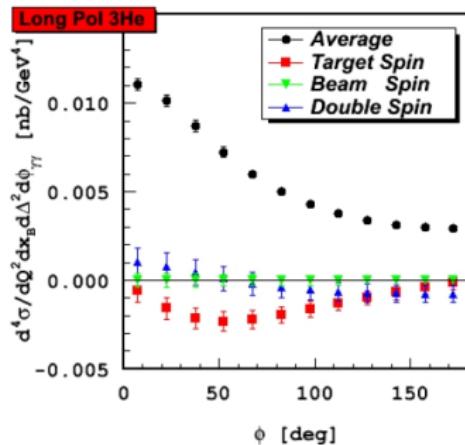
- Long or Trans normal polarization
- Target single spin cross sections
  - $d\sigma \sim \sin \phi$  (twist-2):  $\text{Im}[\text{BH}\cdot\text{DVCS}]$
  - Unpolarized protons in  ${}^3\text{He}$  cancel
- Target double spin
  - $d\sigma \sim c_0 + c_1 \cos \phi$ :  $\text{Re}[\text{BH}^2 + (\text{BH}\cdot\text{DVCS}) + \text{DVCS}^2]$
  - Unpolarized protons cancel
- Transverse sideways:  $\sin \phi \longrightarrow \cos \phi$
- All other “neutron” observables (total  $\sigma$ , beam-spin) have large incoherent proton contributions

# Cross section projections (at $10^{37} \text{ cm}^{-2}\text{s}^{-1}$ )

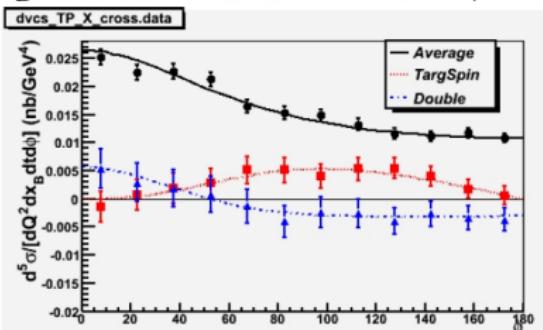
$Q^2 = 2.3 \text{ GeV}^2, x_B = 0.36, k = 8.8 \text{ GeV}, t = -0.26 \text{ GeV}^2, 10 \text{ days}$

$Q^2 = 4 \text{ GeV}^2, x_B = 0.36, k = 8.8 \text{ GeV},$

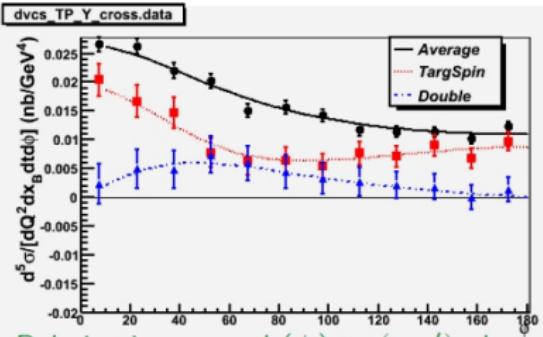
$t_{min} - t = 0.15 \text{ GeV}^2, 20 \text{ days}$



► 50% × 80% polarization



Polarization sideways (||) to ( $e, e'$ ) plane



Polarization normal (⊥) to ( $e, e'$ ) plane

# Summary

- Neutron DVCS is a required complement to the proton program:
  - Flavor separation of GPDs
  - Access to different combinations of GPDs
- Very challenging experimentally:
  - Difficult to detect at high luminosities
  - Efficiencies, charge exchange, etc hard to estimate
- Hall A program in Hall A provided some initial results and constraints
- Approved program with CLAS12 off unpolarized neutrons
- Possibilities of polarized nDVCS with high luminosity  $^3\text{He}$  target

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