Name:
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 Worksheet - Nov. 3
 MAT 3501

 Fall 2016

1. Let $\triangle ABC$ be a right angle triangle with the right vertex at A. Draw the altitude AD, with D on the side BC.

(a) Use similarity to find the lengths of the segments |BD|, |DC| in terms of the lengths a, b, c of the sides of the triangle.

(b) Show that part (a) gives you one proof of the Pythagorean's Theorem.

(c) (For home:) Find (and understand) one other proof of Pythagorean Theorem (there are many involving areas).

2. (Problem 4 from section 5.10, page 213 text.) We have three circles of radii 8, 10 and 12, each of which is tangent to the other two (like three different-size coins on a table, each touching the other two). Find the area of the region between the three circles to the nearest tenth.

3. Let $\triangle ABC$ be an arbitrary triangle. Let AD be the angle bisector of the angle A, with D on the side BC.

(a) Show that |DB|/|DC| = |AB|/|AC|. (This result is sometimes referred to as the "Angle Bisector Theorem")

(b) Use part (a), to find the lengths of the segments |BD|, |DC| in terms of the lengths a, b, c of the sides of the triangle.