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Quiz 4 - Take home - Due Tue. March 9
MAC 2313, Spring 2010

## To receive credit you MUST SHOW ALL YOUR WORK.

1. (10 pts) Locate and classify all critical points of the function $f(x, y)=x^{3}+6 x y+3 y^{2}-9 x$.
2. (10 pts) A wire 120 cm long is cut into three pieces of lengths $x, y$ and $120-x-y$ and each piece is bent into the shape of a square. Let $f(x, y)$ denote the sum of the areas of these squares. Find the absolute maximum and absolute minimum of the function $f(x, y)$.
Hint: The conditions $x \geq 0, y \geq 0,120-x-y \geq 0$ restrict your function to a closed and bounded region.
