Chebyshev's Theorem: The proportion of any set of data lying within K standard deviations of the mean is always at least $1 - \frac{1}{K^2}$, where K > 1.



х	P(x)	$x \cdot P(x)$
:	:	:
		$\sum x \cdot P(x)$

For Problems Dealing With the Normal Distribution (they say normally distributed in the directions...)

There are three cases

- 1. Directions say: Find the probability of randomly selecting a ...
 - Draw the bell curve, label the mean, and standard deviation
 - Put a Z number line and an X number line at the bottom of the curve
 - Shade the desired area that you are looking for
 - Convert your x score into a z-score using $Z = \frac{X \mu}{\sigma}$
 - Look your z-score up on the table from the book (that is the area from your zscore to the mean on the curve)
 - If necessary perform the arithmetic needed to get your desired area
- 2. Directions say: Find the probability of randomly selecting n ... that have an average ...
 - Draw the bell curve, label the mean, and standard deviation **do not forget that

for this problem the stan. dev. becomes $\sigma_{\overline{x}} = \frac{\sigma}{\sqrt{n}}$

- Put a Z number line and an \overline{X} number line at the bottom of the curve
- Shade the desired area that you are looking for
- Convert your \overline{X} score into a z-score using $Z = \frac{\overline{X} \mu}{\sigma_{\overline{X}}}$
- Look your z-score up on the table from the book (that is the area from your z-score to the mean on the curve)
- If necessary perform the arithmetic needed to get your desired area
- 3. Directions say: Find the score (height, weight, ...) that separates the bottom...
 - Draw the bell curve, label the mean, and standard deviation **Do not forget that for this problem we will be putting an area associated with a given percentile (using the normal table in reverse)
 - Put a Z number line and an X number line at the bottom of the curve
 - Look up the necessary area to get your z score on the Z table (watch your sign on the z-score)
 - Convert your z- score into an X-score using $X = Z\sigma + \mu$

Confidence Interval

Steps to Create a Confidence Interval for the mean (Large Sample)

- 1. List all given sample data from the problem including sample size and C-level
- 2. Find $z_{\alpha/2}$
- 3. Calculate the margin of error, $E = z_{\alpha/2} \left(\frac{\sigma}{\sqrt{n}} \right)$
- 4. Calculate $\left[\overline{x} E, \overline{x} + E\right]$

Steps to Create a Confidence Interval for the mean (Small Sample)

- 1. List all given sample data from the problem including sample size and C-level
- 2. Find $t_{\alpha/2}$
- 3. Calculate the margin of error, $E = t_{\alpha/2} \left(\frac{s}{\sqrt{n}} \right)$
- 4. Calculate $\left[\overline{x} E, \overline{x} + E\right]$

Steps to test a hypothesis:

- 1. Express the original claim symbolically
- 2. Identify the Null and Alternative hypothesis
- 3. Record the data from the problem

4. Calculate the test statistic using either
$$z = \frac{\overline{x} - \mu_0}{\frac{\sigma}{\sqrt{n}}}$$
 or $t = \frac{\overline{x} - \mu_0}{\frac{s}{\sqrt{n}}}$ or $\rho = \frac{\hat{p} - \rho_0}{\sqrt{\frac{p_0 q_0}{n}}}$

- 5. Determine your rejection region (or find your p-value).
- 6. Find the initial conclusion
- 7. Word your final conclusion

Steps to creating a Confidence Interval for a population proportion:

- 1. Gather sample data: x (or \hat{p}), n, and C-level, calculate $\hat{p} = \frac{x}{n} \& (1 \hat{p}) = \hat{q}$
- 2. Find $Z_{\alpha/2}$
- 3. Calculate the Margin of Error, $E = Z_{\alpha/2} \sqrt{\frac{\hat{p}\hat{q}}{n}}$
- 4. Finally, form $[\hat{p} E, \hat{p} + E]$

Sample Size for Estimating the Mean:

$$n = \left[\frac{z_{\alpha/2}\sigma}{E}\right]^2$$